

$$\zeta + \xi = 5.1.$$

$\therefore E \in \Gamma \cap \Gamma' \Rightarrow \Gamma \cap \Gamma' \neq \emptyset$

$$\text{HIE::}) \quad \vdots + 001 + + 010 + \vdots + 101 +$$
$$E \equiv \| \cdot \| \quad |CE| \quad [+ \varepsilon :) + \text{NOT} \quad @ \| \cdot +$$
$$\| \cdots \|_C \quad (1 \# 1 = 1)$$
$$\| \cdot \|_{\#} \quad \| \cdot \|_{CE} \quad \| \cdot \|_{\varepsilon} =$$
$$11C:1. \quad 211E:: = \odot H$$

E: + 001 + + 010 +

$I \parallel I \# II$)

1. \odot 1ε $1\oslash\varepsilon$ $\varepsilon\odot=$ $+E=+1$ $\pi+1$ $E::)$

$$0 :: C \quad C :: 01 + \quad 01E =)$$

2. 01 · E: 00: 0101 101)

3. $\| \Phi \circ \cdot \cdot \quad \Gamma \circ = \Gamma = \quad = | \odot | \quad \odot \quad \square \odot \quad \int \| \cdot \cdot = 1$

$$E + C \begin{pmatrix} 1 \\ 0 \\ 1 \end{pmatrix} \quad \begin{pmatrix} 2 \\ 1 \\ 0 \end{pmatrix} \quad \begin{pmatrix} 1 \\ \dots \\ \vdots \\ C \end{pmatrix} \quad | \# | = 1 \quad \vdash | \varepsilon \quad + || \vee$$

4. ||○○:·· 'O=+= =|OC:| \ =|| H||O H|ε
 OEOOCE □β|· =||\O|)

5. ||○○:·· 'O=+= =|OOO|, □|O| H||O
 H|ε O↑:·H= □β|· □E|| :·|| |E|+)

6. ||○○:·· 'O=+= =|· || EHE |:E
 H||O H|ε O |Oε=| □β|· E::O|)

7. ||○○:·· 'O=+= =O::|++|, H||O H|ε
 O |'O=| +::|+)

8. ||○○:·· 'O=+= =| O □||· =||\O|
 H||O H|ε O |' | □β|·)

9. ||○○:·· 'O=+= =+·' | ||:Hε+ H||O
 H|ε O |+=::O|, OOOO| |□β|·)

$$C + \varepsilon = 5.10.$$

$$\mathbb{H} \parallel \dots \parallel \mathbb{O} \mid \quad \vdash E \mid \quad \mathbb{H} \parallel \mathbb{O} \quad \parallel \dots \vdash \sqsubset \quad \mid \# \mid \vdash \mid$$
$$H^1 E + 11 \vee$$

11. $1100 \dots + 10 = 11 = 0 + 11$ $1111 = 1$

$$\odot: -1 \cdot \dot{\cdot} = 1 \quad \odot: -1 \varepsilon \quad \odot = \odot \cdot \dot{\cdot} = 1 \quad 1 \equiv 1 \quad \ominus \dot{\cdot} + 1$$
$$\therefore \parallel \quad \text{H} \parallel \odot \quad E + \parallel \therefore \square \square)$$

12. $E = ++$ $H|| = 0+$ $H||0$ $[O::E|:]$ $E::||$

$$1=01 \quad E \equiv \#1=1 \quad +110 \quad EE \equiv \odot \quad \odot \div 11$$
$$0 \cdot 1 \varepsilon \quad 1 \oplus 1 = 1 \parallel 1 \quad E \cap C \parallel = 1 \cdot \varepsilon \parallel$$
$$E+ = 1)$$
$$+EC \quad IC \quad \frac{1}{6} \cdot \quad [O] \quad M \quad OII: \quad E(O)$$

13. $\therefore = 1\epsilon + [0 \circ 0 \circ 0] : 1 [E]) \therefore E \circ 0 :$

$$\begin{aligned} \Sigma \varepsilon \quad E + \theta I + \quad + EC \quad = O H O I \quad E \oplus + O : \parallel \backslash) \\ = O \parallel \cdot \quad + \Sigma C \cdot \quad O \quad + I I O I \quad + : : : \parallel \backslash) \end{aligned}$$

$$14. \therefore = I \varepsilon \quad + C O C \quad I O I E I +) : O C = O I \quad H \parallel \cdot \quad I E : : \\ = O I : O O)$$

$$15. \quad + \parallel O \quad + EC \quad = O O O \varepsilon I \quad H + \parallel \cdot \quad I I + \quad E = \parallel : \cdot O \\ I O \quad H X W \varepsilon \quad + : : = \quad I O \quad \Sigma + EC \quad I : = I \quad : \parallel)$$

$$16. \quad \{ \parallel \backslash E E : \quad \Sigma = + = \quad I O I = I \quad E + C \parallel \backslash = \quad E + + EC \\ H \parallel \quad E I \varepsilon I \quad \{ : \parallel \backslash = I \quad \parallel : \parallel \backslash \quad : H I \quad O O : = \quad O I = I \quad = I \quad \# (= I)$$

$$+ : O \varepsilon \quad \parallel O \varepsilon \quad \Sigma O = \cdot \quad E : + = O +)$$

$$17. \quad E = \oplus O E C \quad O \quad O : E : \quad H \parallel \quad E I : \quad + = O + \\ C E : \quad \parallel : + O I \quad \parallel O + I \quad \parallel = : : I O I \quad : \varepsilon) = O E O : \\ H \parallel \quad E \varepsilon \quad I O \quad H \parallel + I O + : \cdot O :)$$

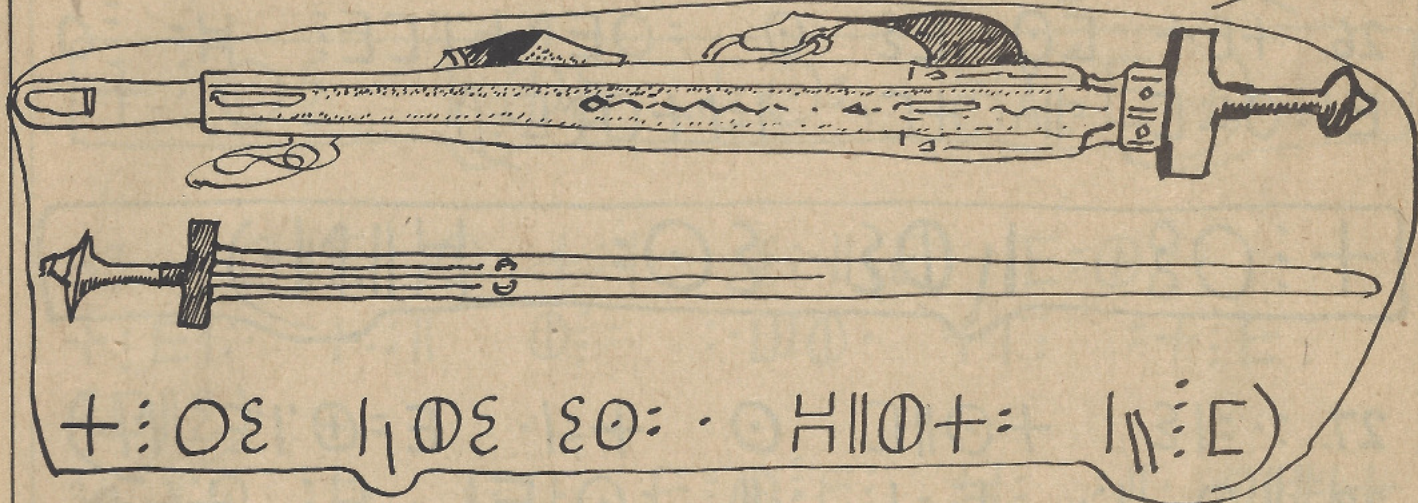
$$18. \quad + E + \quad C O \quad E \varepsilon \quad \varepsilon O O \cdot \quad \# I = I \quad E C E \parallel = \parallel \cdot \\ \parallel \cdot \cdot O H \quad \varepsilon W : \quad = \parallel \cdot \quad + + O : + \quad \Sigma E \cdot \quad = \oplus + I O \cdot \\ H = \quad E : + = O + \quad \varepsilon O \quad I \cdot \quad O + \quad : \parallel)$$

$$19. \quad H \parallel E E : \quad \Sigma O E O I \quad E : + I + \quad \Sigma E \cdot \quad : \cdot E \quad E : \\ C E O \varepsilon \quad \varepsilon O O O : O = \quad + EC \quad \{ \parallel \backslash \quad E \varepsilon \quad E + : : O = \\ = I C E O \varepsilon \quad E : \quad \parallel \cdot \cdot : C \quad I \# I = I \quad I O \quad \Sigma + I I \\ = : + O I \quad E : + = O + \quad : \parallel \quad = + O O I \quad \Sigma + EC \quad \varepsilon O : \cdot \\ E + : : O = \quad = I = O I \quad E : \quad \parallel \cdot \cdot : C \quad I \# I = I)$$

$$20. \quad O O C + \varepsilon \quad : \cdot E \quad = O I O \quad : \cdot E I = I \quad = I C O I \quad I + = O +$$

□+ξ= 5.20.

ΕΗΟΟ+Ι =Ο↑+↑↑□ ||...□ |#|=| Η=)



+::Οξ Ι,Οξ ξΟ:: Η||Ο+= Ι\::□)

21. ::=Ιξ +Ο||□ Ο +=:· ξ::||\Ε Ε=Θ↑::
 □Ι ξ↑↑ □Ι Ε□↑ξ+ ΕβΟ::)

22. ↑Ο Ι:: Ι::=Ι ::|| =↑↑ ||::□ Η||□ΕΟΙ+
 Ε□↑ξ+ ΕβΟ:: =\ ξ□ΕΟΙ+ Ο:: ::ξ
 =Ε□ =ΟΙ::ΟΕ Ε+=βΟ:: :Ο +Ε+=+ Ι::□ΟΙ
 =↑↑↑, ΟΟ) =\ ξ□ΕΟΙ+ ::ξ □Ο::||
 =::ΗΟΙ Ε↑↑ +□Οξ ::Ο Η=)

23. Η||ΕΕ:: Ο Ε+=ξ:: +ΗΟ::Ι:: ΟΕ↑↑ ↑ΗΟ::=Ι
 +::+::Ε= Ο □ΕΟΙ:: ↑↑Ο::ξ Η|| Ο+ ΣΙ

24. ΟΟ= +ΗΟ::Ι:: Ε:: Ε↑↑ ↑ΗΟ::=Ι ::□ΕΟΙ::
 +↑Ο ↑||...Ο ↑Ο:: Ε□ΕΟΙ:: ΕΗΟΕξ +::||Ε=
 +::Η:: +ΗΟ::Ι:: □βΙ.)

25. Ο +Ε=: Ε=:ξΙ ::ΟΙ:: +↑:: ΕΟΟ
 ||...Ο +Ο□Ε ::Ο=· +=ξ□ +Ο+ ΗΧ::ΟΕ·
 Ι::ξ::ξ Ο↑# ↑· ::ξ::Η:: ξΟ#ξ ++=↑Ο:: Ε::

[+Σ= 5.25.]

∴ ∅ =)

26. +E+ [∅ EΣ ∅ = O E↑ +↑' [EΣ H= ∅
E↑ = ∅ ∴ [= || + [1 = ↑ + O↑ [Σ ∴)

+ ∴ ∅ Σ 1 \ ∅ Σ Σ ∅ ∴ · H || ↑ ∴)

27. ∴ = | Σ + ∅ || [∅ + = | · E = ⊕ ↑' ∴ N ∴)

28. ↑' ∅ | ∴ | ∴ = | ∴ || = ∅ = E↑ EΣ +↑ +
H || +↑ +↑ H ↑' N · E ∅ ∅ EΣ = || ↑ +)

29. ∅ ∴ Σ + ∅ ∴ ∅ ∴ ∴ β + | ∴ + | ∴ ||
+ ∴ ∅ ∴ + +↑' ∅ ∴ + |) H ∴ EΣ E ∅ · Σ E ·
EΣ + ∅ || E↑ ∴ = O X + = ↑' ∅ || [| ∴ ∴ ||
EΣ + [∅ Σ)

30. ∅ ∴ Σ ∅ ∴ ∅ ∴ H ∅ | ∴ = | ∴ || + || Σ ∴ |
+↑' ∅ ∴ |) H ∴ EΣ E ∅ · Σ E · EΣ + ∅ || E↑ ∴
= O E X ↑' || [| ∴ ∴ || + [∅ Σ)

+ ∴ ∅ Σ 1 \ ∅ Σ Σ ∅ ∴ · H || [↑' ∴ | ∴)

31. + = | · + || ∅ Σ [↑' Σ | +↑ +↑ +↑ ∴ H +↑
β O + | [↑' Σ | ∴ |)

32. ↑' ∅ | ∴ | ∴ = | Σ [↑' Σ | +↑ +↑ +↑ = ⊕ ↑' ·
N · ↑ + EΣ + O + | N ∴) Σ ↑ || H | +↑ +↑ + EΣ

$$\boxed{C + \xi = 5.32.}$$

++CΓξ+ E||Θ|+ '· N· TE·)

++: OΣ I\ΘΣ ΣΘ=: · HX:E=I)

33. +Θ||C Θ +:|· ε:·||E E=⊕Σ:
+:E|:· +::|| Θ:= ::WΘ· +': =+:E:
ΣC||Σ)

34. 'Θ |· |::| E=⊕:E: H: =||· Θ||#|+
H||Θ |· ::#O· |Cβ|·)

35. =||· ΘC E|| H||Θ |· Θ:·Θ|| WOI+
=||· Θ:OC |#OΘ||C H||Θ |· :OC |Cβ|·
C|::|| =C::OI)

36. E=⊕:E: Θ:H|:· H||Θ =⊕HΘ':
ΘC+Σ IXE I:H|:· +ΘC||: εI CE:
+Θ::=||::=)

37. =|+|: ::|| ::|| Σ=||· CE: ::||:·||·)
='OI =WΣ H||E= Θ||Θ)

++: OΣ I\ΘΣ ΣΘ=: · H|| N|| E: βO::
:O +EC :O: ·)

38. +Θ||C Θ+=|· β+ H|| β+ βI H||β|)

39. 'Θ |· |::| E=⊕'E||: Σ=EC E:·'|=

$$\boxed{\Sigma + \Sigma = 5.39}$$

$$+ \parallel \odot \oplus \quad \Gamma \odot \quad \Sigma = +1 \quad \Gamma \Gamma | : \quad = | : \parallel \quad \square \parallel \Sigma \odot$$

$$E = + \quad = | : E |)$$

$$40. \quad \Sigma \odot | \quad E = \Sigma \quad : \odot | : \quad E : \odot \quad \parallel : \odot | : \quad E :$$

$$\odot : : \quad \Sigma \odot \quad + : : + : : + | : \quad + \parallel \odot)$$

$$41. \quad \Sigma : : \Sigma \odot : \odot \parallel \quad \odot E + = \Sigma : \quad \parallel \parallel | + \quad \Gamma \square \quad \vdash : X$$

$$+ \Gamma : \odot \quad \odot \parallel \square \quad \vdash : X)$$

$$42. \quad \Sigma E : : \quad \Gamma \square \Sigma | \quad \odot + \quad : : H \oplus =) \quad \Sigma E : :$$

$$\Gamma \square \Sigma | \quad H E \quad E \oplus = \oplus \Gamma E \parallel :)$$

$$\boxed{+ : \odot \Sigma \quad \parallel \odot \Sigma \quad \Sigma \odot = : \quad H X \odot \cdot \quad | \square : \odot |)}$$

$$43. \quad + \odot \parallel \square \quad \odot \quad + = | \cdot \quad \odot = \quad \square E = | : \quad + : \odot | :$$

$$\square : \odot | \cdot)$$

$$44. \quad \Gamma \odot \quad | : \quad | : = | \quad \odot = + \quad \square : \odot | | = |)$$

$$\Gamma \square \Sigma + \quad \parallel \odot \odot : : \quad \Sigma = | : = | \parallel : | \quad \Gamma + \quad \parallel \odot \odot$$

$$\Sigma = | : = | \odot | \odot) \quad + \odot + \quad H \parallel \quad = W = \vdash \Gamma | \quad \odot : \square \Gamma \parallel$$

$$E \Gamma \Gamma : = |)$$

$$45. \quad H \parallel \quad E + : : \parallel \square \quad \odot \odot \odot | \quad | \odot | = | \quad = | : \quad \# | = |$$

$$H \parallel \odot \quad E \odot \Gamma \square E \quad + H : \quad H \parallel \quad = | \parallel \odot \odot |$$

$$E = | \parallel : | \quad : : = \quad \square | \quad | \Gamma | \cdot \quad \Sigma = \vdash \Gamma | \quad \parallel : |$$

$$E = \vdash \Gamma | \quad \parallel \odot \odot |)$$

$$46. \quad \oplus \odot \square \quad = | : = | \odot | \quad : \odot \quad E = \oplus \odot E \square \quad \odot$$

$$C + \varepsilon = 5.46.$$

$$E + \text{'O} = C \quad (O : E) = O' : \quad ; O : E \quad 101$$

$$\Theta E = + \text{'I} \quad E \varepsilon)$$

$$47. \quad \odot \quad + \odot \odot \parallel C \quad C E O \varepsilon 1 = 1 \quad ; \odot = \oplus \text{'I} C$$

$$\text{'OI} = + \text{'I} \quad \varepsilon E \quad \beta ; \odot \varepsilon \quad H \parallel \odot \quad ; H O$$

$$= 1 = O I \text{'E} \varepsilon \quad C \beta \cdot \quad + \text{'I} \quad E \varepsilon)$$

$$48. \quad ; = 1 \varepsilon \quad E \cdot \quad ; \text{'W} \odot \cdot \quad E + : : \parallel C \quad + E C$$

$$; \text{'I} \quad \beta \parallel \quad \odot 1 = 1 \quad = ; 1 \quad \# 1 = 1)$$

$$+ \odot \odot 1 + \quad + \odot E \odot +$$

$$+ : \odot \varepsilon \quad 1 \odot \varepsilon \quad \varepsilon \odot = \cdot \quad H X : : \varepsilon \quad \vdash : + \varepsilon)$$

$$1. \quad \otimes : + C \quad E = \oplus \text{'I} C \quad + : + 1 = 1 \quad H \parallel \varepsilon \quad 1 \beta + = 1)$$

$$\text{'I} + \quad 1 \varepsilon + \quad 1 E \varepsilon) \quad H \parallel \odot \quad \oplus + \text{'I} C \quad E \varepsilon$$

$$= O \text{'I} + \text{'O} = C \quad C O : E \quad ; O \quad \odot 1 = 1 \quad ; 1 \quad \# 1 = 1)$$

$$2. \quad C O 1 \quad \oplus + \text{'I} : \quad + : + \varepsilon \quad E = \oplus \text{'I} : \quad + \text{'I} C \text{'I} C +$$

$$E + : \quad \beta \parallel \quad = + \text{'I} \quad \parallel H O : 1 \quad E \varepsilon 1 \quad \vdash : \odot \varepsilon = \parallel \cdot$$

$$E : + O \varepsilon 1 \quad H \parallel \quad E + = \odot : C O 1 \quad ; O \quad + E C) \quad + E +$$

$$C \odot \quad E \varepsilon) \quad \text{'O} = 1 \quad \parallel : 1 O 1 \quad C O E \cdot)$$

$$3. \quad \text{'O} \quad ; \varepsilon \quad \oplus + \text{'I} : \quad + : + \varepsilon \quad E = O \odot 1 \quad H O 1 :$$

$$= X \parallel \text{'I} + \quad = + \text{'I} \quad H O 1 : \quad = 1 : \parallel)$$

$$4. \quad H \parallel \quad E + \text{'I} : \quad + : + 1 : \quad E : \odot \odot) \quad \odot 1 : \quad ; 1 \varepsilon 1$$

$$= + + \text{'I} : \quad E : \odot \odot \quad ; \varepsilon : H : \quad C O : E | :$$

$$E : 1 H \parallel \varepsilon)$$

$$\zeta + \xi = 6.5.$$

$$+ : O \xi \quad | \backslash \oplus \xi \quad \xi \odot = \cdot \quad H X = + O = |$$

$$5. \oplus + + O \zeta \quad E = \oplus :: || \zeta \quad \beta || \backslash \quad || H O :: |$$

$$H || \odot \quad O | E + + O | \quad \oplus E E | \quad E : | \backslash \quad \vdash : O \xi$$

$$= || \cdot \quad E : \odot \zeta | \xi \quad \vdash O \xi | \quad H || \quad + | \backslash \xi | \quad + E \zeta)$$

$$+ E + \quad \zeta \odot \quad E \xi \quad \vdash O = | \quad || : | \odot | \quad \zeta O E \cdot)$$

$$6. \vdash \odot \quad :: \xi \quad \oplus + + O : \quad + \vdash \vdash : \quad \zeta \odot \quad | : | : \cdot \quad + O$$

$$\xi \odot | : \cdot \quad :: | \quad \odot \odot) \quad \oplus | : \cdot \quad + || \odot \quad :: | \xi | \quad = + + \vdash :$$

$$E : \odot \odot \quad :: \xi : H = \quad \zeta O : \cdot E | : \cdot \quad E : \quad | H || \backslash)$$

$$7. E : \quad + = + O = | = | \quad E = \oplus \beta + \zeta \quad = || \backslash = | \quad \oplus | \backslash \quad \beta || \backslash$$

$$= + \vdash | + \quad + \beta + | \quad \beta | \quad = O | \backslash : \cdot \zeta \quad \xi \zeta \beta | \cdot) \quad :: || \backslash +$$

$$\odot \quad E + = :: \oplus || \backslash + \quad + = + O = | \odot | \quad H || \quad \vdash +$$

$$| = || \backslash \odot | +)$$

$$8. E = \oplus :: || \zeta \quad \beta || \backslash \odot | + \quad H || \odot \quad \oplus | = | \quad \odot | \quad = + O \zeta$$

$$:: O = \cdot \quad = \oplus + O \zeta)$$

$$9. H || E E : \quad \vdash + \quad + = + O = | \quad :: = | \xi \quad \beta || \backslash \quad = \cdot)$$

$$\xi \cdot \quad \oplus | \backslash : \quad :: | \quad \# | = |) \quad + = \odot || \backslash + + \quad \odot \zeta | : \cdot)$$

$$10. \odot + E : \quad || \cdots : \cdot \zeta | : \cdot \quad + = \vdash + \quad = + O : \quad E : E | +$$

$$\beta || \backslash \quad = \odot \quad + = \vdash : \quad E : \# | = |)$$

$$11. + : \cdot H : | : \quad || E : \quad + + | \backslash : \quad + | \quad : \cdot \vdash ||)$$

$$12. + \odot O H : | : \quad \zeta O : \odot | \backslash : \quad \beta || + \quad | = \odot \quad \vdash \odot O H$$

$$\xi = \vdash = O = \odot | \backslash \quad : \odot | \cdot)$$

$$\square + \xi = 6.13.$$

$$13. \quad E I = \oplus = \xi: \quad \odot E I \quad (I \# \odot \odot) T \odot + T I: I: \\ E: \odot \parallel \odot) \quad \xi I: \quad \square \odot \quad \parallel \cdots: \square \quad +: \square \odot \quad E \parallel \cdots \odot \square. \\ \vdots \odot H = \square I)$$

$$14. \quad \therefore E \quad + \odot \odot H \square \quad \xi + E \square \quad \odot: E I \odot I \quad \odot I: I \\ E = I \odot \odot H \quad \odot: E I = I)$$

$$15. \quad \therefore E \quad = \oplus \odot \odot H \square \quad \xi + E \square \quad \odot: E I \odot I \quad \odot I: I \\ = \odot = \times \odot \odot H \quad = I = I)$$

$$+ : \odot \xi \quad I \odot \xi \quad \xi \odot = \cdot \quad H \parallel I \square)$$

$$16. \quad \oplus I \square \square \quad \square = \oplus: \parallel \square \quad \begin{matrix} \parallel \\ \parallel \end{matrix} \parallel H \odot: I) \quad I \xi \\ \odot \square + \xi I \quad E \square = I \odot I \quad \oplus: \times \oplus \quad H \parallel \quad E \odot I H \parallel \parallel I \\ \xi + E \square \odot \quad I \square I) \quad + E + \quad \square \odot \quad E \xi \quad T \odot = I \\ \parallel: I \odot I \quad \square \odot E.)$$

$$17. \quad T \odot \quad \therefore \xi \quad \oplus I \square: \quad + I = \xi: \quad \therefore H I: \quad + \odot E: \\ E \square I:$$

$$18. \quad H \parallel \quad E = \oplus \odot I H \parallel \parallel: \quad I \square I: \quad \xi + E \square \quad T \odot \\ \xi \odot I: \quad =: I \quad \odot \odot) \quad \odot I: \quad \therefore I \xi I \quad = + + T: \quad E: \odot \odot \\ \therefore \xi: \cdot H = \quad \square \odot: E I: \quad E: \quad I H \parallel \parallel)$$

$$+ T \odot T \oplus \quad E: \# I: I)$$

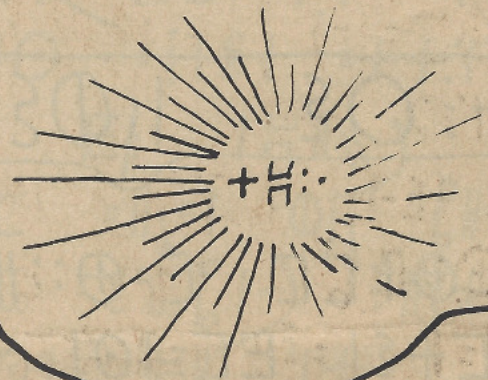
$$19. \quad E = \oplus \odot \odot E \xi: \cdot \square \quad + T \odot T \oplus \quad E: \quad E I +) \quad E:$$

$\square + \xi = 6.19.$

$E| + \rho = \vdots = | + | \vdots : \rho E| + O + \vdots ||) \oslash E'|$
 $+ || \oslash \oslash E| | + \vdots \oslash |)$

20. $'\oslash \oslash \oslash E \xi \vdots + + '\oslash '\oslash E \vdots || \# | +$
 $\# || \square | = |) E \vdots || \# + = O \vdots \rho E| + + \vdots = | + | \vdots$
 $= || \cdot = O \oslash E| \oslash E'| | + \vdots \oslash |)$

21. $E'| = + \vdots + '\oslash '\oslash | \vdots + \vdots O = \vdots \vdots$
 $= || \vdots)$



$| O | || \square)$

22. $\# + || \cdot | || \square | = E \square \rho + + + \square \oslash |) E \vdots E \xi$
 $\vdots E + \oslash \vdots + \rho + | \vdots E'| | | O || \square - | \vdots \vdots ||)$
 23. $\square \rho | \rho + | \vdots \vdots E = \oplus \oslash \vdots + E'| | + \rho \xi \xi$
 $|| \square | \vdots \vdots ||) E \xi \vdots E | O = \vdots \xi \vdots | \square \oslash \rho \xi \xi$
 $E'| + | + \rho \xi \xi = O'| \vdots)$

$\square \rho | \cdot E + '\oslash '\oslash \oplus)$

24. $= O' \# O' = || \xi | E \rho \vdots || \square \oslash = \oslash \rho | \# || \oslash$
 $E \vdots \oslash | \xi | O = = \vdots E | \square E \vdots E \chi \vdots \xi | || \vdots =$

$$\begin{aligned} & \vdots EI) = OI + H O' I' C \quad E + \beta \equiv II C \quad C \beta I. \\ & + I' O' I' \oplus) \end{aligned}$$

$$(I' I' I \quad O C \beta I. \quad E I C \# \# II \quad I C E O I I \quad E I H)$$

$$\begin{aligned} 25. \quad & EE \vdots \quad H II \quad E = I \vdots \quad E = \oplus \beta = \beta C \quad H II \\ & + C E \oplus I = I \quad = + + + C \quad C E \vdots \quad = + O O C = II. \\ & H II C = I = I \quad = + I + O II O C) = O' I' \vdots \quad + C E \oplus \\ & + I' O \quad + + \xi \quad II C \quad I' O \quad + II O \xi) \end{aligned}$$

$$\begin{aligned} 26. \quad & I \xi + \quad I' E E \quad I \# I = I \quad = O I O II \quad = \oplus II \xi I \\ & = \oplus \vdots C \beta I \quad = II. \quad E \vdots \quad + E I' = I \quad C \beta I \quad \beta + \beta I \\ & O I = I \quad = \vdots I \quad II \# I +) = O' I' \vdots \quad C \beta I. \quad O O' I' O \vdots = I \\ & E' I' E E) \end{aligned}$$

$$\begin{aligned} 27. \quad & C I \xi \quad E \vdots = I \quad = H O' I' I \quad \beta + \xi \quad I' I' O + I + \\ & O \vdots II \quad \xi W \vdots \quad O \beta = \beta I +) \end{aligned}$$

$$\begin{aligned} 28. \quad & C H II \quad + \beta = \beta C \quad H X II O \xi) \quad II C E + \quad = + I' I \\ & \xi II + I \quad = I \# I' = I \quad H II \quad E E = II \quad = O \beta \vdots II \quad = \oplus II C I) \end{aligned}$$

$$\begin{aligned} 29. \quad & I' O \quad I \vdots = I \quad = II. \quad I O \xi \quad O II C I \quad E \vdots \quad II \dots O C I + \\ & \vdots II \quad = O' I'. \quad + II O \xi \quad + I' E + \quad E \beta I \quad \xi I \quad E \vdots O I \\ & \beta \vdots O \xi) \end{aligned}$$

$$\begin{aligned} 30. \quad & I C. \quad O II O = \quad C \beta I. \quad \xi II + I \quad = I O H \\ & = I \vdots I \quad E' I' I O I \quad II E. \quad + = I' O I \quad E \vdots + C O \xi \\ & + H + \quad = O' I' \vdots \quad II \vdots I O \quad \vdots = I O II O = \quad \vdots = I \xi \end{aligned}$$

$$\square + \xi = 6.30.$$

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31. $\pi \parallel E E \vdash E = \oplus \int_0^1 = \int_0^1 C + 1 C \quad C \cap 1 + \int_0^1 =$

$$[M]_0 = [M]_{\infty} = 0$$

32. $+p+1$ $p+1$ $= O(NE) \quad [p+1] \cdot [p+1] + O(1)$

$$= \Psi \varepsilon \quad \therefore \parallel) \quad E \varepsilon \quad \odot \mid \quad \oplus \mid = \mid \quad = \vdots \mid \quad \# \mid = \mid$$

$$(\oplus \vdash \text{O} \sqsubset)$$

33. $10 \quad 1 \square 3 + \quad + 10 \quad 11 \dots \therefore \square \quad 1 \square 61.$

$$E = |E| + 1 = 0 + 1 = 1 \quad \therefore \text{II})$$

34. $E = \oplus \beta = \beta \sqsubset \quad \text{HXH}^{\circ} + \quad \text{H} \parallel \text{O} \quad + \text{H} + \quad E \cdot \quad + \text{H} \cdot$

$$I + P = P \cdot I \quad \therefore I \| II \quad || \cdot \quad |E| + IO : |E| = E O' E I$$

+001+

十一

430

$$E = \oplus \rho \circ \square$$

Σ Σ Ε

$$E + \therefore + = \square$$

60:

121.

1. $E = \oplus \int_0^\infty \rho(\omega) d\omega$ $\Leftrightarrow E = I = 0 + \int_0^\infty \rho(\omega) d\omega$

2. $\pi \parallel \odot$ $\rho O \therefore = + + ' I' C$ $\Sigma + EC$ \vdash

$$E = * + = " = \quad \therefore = | E \cdot) \quad \therefore + \quad | = \odot \quad + \therefore + [\quad \vdash$$

① $E = \mathbb{K} + \dots + \dots = |E|$

3. $\text{CH}_2 + \text{H}_2\text{O} \rightarrow \text{CH}_3\text{OH}$

$$1^{\circ}0 = \oplus \pm 1 \pm \quad 1^{\circ}0 = \pm 1 \quad 6 + 1 \dots$$

4. $\square \vdash \square \oplus \top \mid : \quad \varepsilon \square EO \mid : \quad \overline{\varepsilon \varepsilon} \quad E \vdash \odot :$

$$[O] \vdash E \vdash \vdash + \vdash \vdash E \vdash \vdash N' O \vdash + \vdash \vdash$$

$$\square + \xi = 7.5.$$

$$\begin{aligned} 5. \quad & \xi \cdot \parallel \mathbb{H} \odot :: \quad \cdot \odot \quad \Gamma' \odot \quad E :: \quad \rho + | : \cdot + \Gamma \odot \\ & E \mathbb{H} \odot \quad E \xi \quad + : \cdot \odot : \quad \square \odot \parallel : \quad E : \quad \rho + \quad | \square E \odot | : \\ 6. \quad & E = \oplus : \cdot \mathbb{H} \square = \parallel \parallel | \quad E | \quad \cdot = \mathbb{W} = \odot \square \parallel \backslash \xi | \\ & \Gamma \odot \cdot : = |) \quad E = \oplus \Gamma' \odot \square \quad E \mathbb{H} | = | \Gamma = + | \backslash \quad \vdash : \cdot \Gamma = | = | \\ & E + \parallel E \xi | \quad \mathbb{H} \parallel \quad + | = \odot : \cdot \cdot \parallel \backslash \quad \odot E \odot | \odot |) \end{aligned}$$

$$\boxed{++0+ \quad \Gamma' \square \xi + \quad \Gamma' ++ \quad + \odot : \oplus \quad | \square \xi \quad | : |)}$$

$$\begin{aligned} 7. \quad & ++0+ \quad \cdot = | + : \cdot \mathbb{H} =) \quad \Gamma' \square \xi + \quad E + \Gamma' \odot = \square) \quad \Gamma' ++ \\ & + \odot : \oplus \quad | \square \xi \quad | : | \quad E \square \odot = \quad \mathbb{H} \parallel = |) \\ 8. \quad & \cdot \parallel \quad = ++0 = | \quad \Gamma' \odot = \quad = \Gamma' \square \xi | \quad E \Gamma' \odot = \quad = \Gamma' + | \\ & E \odot \square \odot =) \end{aligned}$$

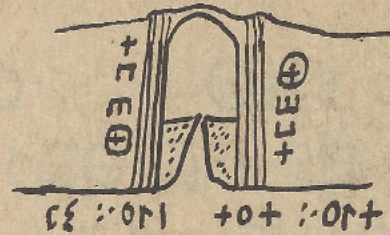
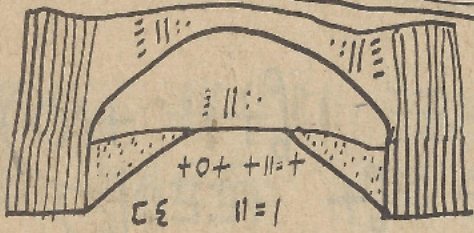
$$9. \quad \square | \xi \quad E :: | \quad = \Gamma : \cdot \mathbb{H} | \quad \odot \odot \odot \quad + : \vdash \quad \odot \quad \odot \xi \quad \odot \odot E \xi)$$

$$10. \quad \square : \quad \odot \quad \odot \xi \quad : \cdot \mathbb{H} \xi \quad + : \cdot \mathbb{H} = \quad + \rho \chi)$$

$$\begin{aligned} 11. \quad & \cdot E \quad \cdot = | \xi \quad = | \parallel \odot \odot | \backslash \quad + \parallel \square E \square \quad E + \Gamma' \square \\ & \rho | \mathbb{H} \cdot \quad \rho | \parallel : | \backslash \quad \square E | = | \quad = \odot \Gamma' : \quad \parallel : | \odot \\ & \cdot = | : \cdot \mathbb{H} = \quad \odot | = | \quad = : | \quad \# | = | \quad \odot + | \quad \parallel : | \backslash \\ & = \vdash + \odot | \backslash) \end{aligned}$$

$$\begin{aligned} 12. \quad & \odot + \quad \cdot \parallel \quad = \oplus \odot \square \quad E = \vdash \Gamma' | \quad + E \square \quad \Gamma' + \odot \vdash : \\ & \rho \parallel \backslash \quad = \mathbb{W} :) \quad \mathbb{H} \parallel \odot \quad + = \odot + \quad E \parallel : \cdot + \odot | \quad | \parallel \odot + | \\ & \square : | \odot | \quad E \xi) \end{aligned}$$

$$\square + \xi = 7.13.$$



∴ O M □ ⊙ □ ξ || ... ∴ □ | □ β | .

13. '↑ + ⊙ □ ξ ∴ O M) H || ⊙ □ ξ || = | + 0 +
 + || = + + + + = ξ + ⊙ E ↑ | : || :) ξ ↑ + | , + || ⊙
 = + + '↑ M |)

14. '↑ ⊙ □ ξ ∴ O M + 0 + ∴ O ↑ + + + + = ξ +
 ⊕ □ E ⊕) E O O | , + || ⊙ = + + '↑ O = |)

□ | ξ = ⊙ M O | || ... || | + E □)

15. '↑ + | ξ + ξ | ⊙ + | ⊙ : : : : ↑ = | + ⊙ | , || ⊙ |
 X E | | H E) ↑ ⊙ E : = || , ⊙ | β ↑ O ξ = |
 = : ⊙ + | , □ ⊙ |)

16. □ E | = | β || , β : : | □ ⊙ |) O + | O |
 ⊕ X + ↑ E ξ □) + + □ E □ + | ξ E : β : :
 : | β | ,) □ : + + □ E □ ⊙ O : : | E : ξ ||
 : | β | , : : || : : || .)

17. β || , E E : β : : || : | : : || + 0 = O + |
 || : | ,) ↑ ⊙ β : : || ⊙ O | + 0 = O + | || ⊙ O | ,)

$$\square + \xi = 7.18.$$

$$18. = O H O T \quad \rho: \quad ||: | \quad EO = O + | \quad || \odot \odot | \quad)$$

$$= O H O T \quad \rho: \quad || \odot \odot | \quad EO = O + | \quad ||: | \quad)$$

$$19. \therefore \rho: \quad = O | + O = \quad O + | \quad ||: | \quad E + = \dots \neq O$$

$$+ = T' O \quad E: + \square \odot \xi)$$

$$20. H || E E: \quad \square E | \quad = | \quad \odot O + | \odot | \quad \oplus X + T E \xi \square)$$

$$21. = O T: \quad \therefore || \quad = E \xi T' | \quad \xi \cdot \quad \square \rho \xi \quad \xi \cdot \quad \square \rho \xi$$

$$T' T' | \quad || \dots \therefore \square \quad | \# | = | \quad T' \odot \quad = + T' | \quad = O \cdot$$

$$\odot | \quad =: | \quad \# | = |)$$

$$22. \xi T' + | \quad = \sqcup T' | \quad E: \quad || \quad = T \odot E \xi \quad \xi \cdot$$

$$\square \rho \xi \quad \xi \cdot \quad \square \rho \xi \quad = O T: \quad | \rho = || \quad = || \quad | \square \rho | \cdot$$

$$E: \quad \odot \square | :) \quad = O T: \quad \odot \odot \square | : \cdot \quad \odot \quad | : \odot \quad || \# | \quad)$$

$$= O T: \quad \odot \odot \square | : \cdot \quad \odot \quad T' \cdot \quad T' + | \quad T: \square O$$

$$T' + | \quad)$$

$$23. E E: \quad E \odot | : \quad = O: \cdot ||: \cdot = | T E \xi:) \quad H || + \xi$$

$$| \odot \odot + ||)$$

$$\square: \cdot \odot \odot | \quad \rho |)$$

$$24. E \xi \quad \therefore || \quad = \odot || \quad + | = | \quad + T' | + \quad E | \square = ||$$

$$E \square || \xi \quad T + \xi \quad =: \cdot \odot \odot | \quad +: T' E | + \quad H || \quad \therefore \rho = O)$$

$$25. = + \quad \therefore | :) \quad \odot \sqcup = \quad : + |) \quad : \odot \sqcup = \quad E + | \quad T' + |$$

$$H X: T' E \quad + \sqcup =) \quad = \oplus E \cdot \quad H || \odot \quad +: \odot \odot \dots +$$

$$\odot \odot | + \quad E: \therefore \rho = O)$$

26. $\therefore \parallel = \odot \parallel \mid + \mid = \mid = \oplus \mid + + \mid' \quad E \mid C = \parallel$
 $E \mid \odot \therefore \parallel = \therefore \odot \odot \mid + \therefore \mid \oplus \mid + E \therefore \mid \parallel$)
27. $= + \therefore \mid \therefore \mid \odot \omega = \therefore \mid + \mid \therefore \odot \omega = E + \mid$)
 $\mid' + \mid \text{HX} \therefore \mid \oplus + \omega \therefore \mid + E \therefore \mid' E \parallel \mid + C \therefore \odot \mid$)
28. $\mid' \odot = \odot E \mid \odot \Sigma \Sigma \odot = \cdot + \mid = \mid \beta \omega \Sigma$
 $\therefore \mid \therefore \text{H} = \mid \mid + E \mid \text{HX} \therefore \odot \mid +$)
29. $\text{H} \parallel \odot \odot \odot \mid \oplus \therefore C \odot \mid + \mid C \beta \mid \therefore \odot \mid \therefore$
 $\beta \parallel + \mid C \odot \mid \odot \mid \mid + = \odot +$)

1. +0: ::ξ0H0= Cβ1. E: +C0ξ +JC=)
 +0: ::0= · E+: :: ||#|+) Eξ 01 ⊕C0:
 100::E)
 H10 Cβ1. 1.)

=⊕|| · ||:1 =||ξ1)

H10 +EC ::|| '1 0::EI)

=0=EI ||...0C. 1Cβ1.)

||:: 10::E +E+T '10

+::ξ +1Cβ1. +CE⊕ +::||+

E: 0C 1ξ0= · ||C0H= C||1:)

2. Cβ1. ::H. 10ξ ξ0= · ||C0H= E0TC 0::EI:)
 Cβ1. 1.)

10ξ ξ0= · ||C0H= 0T T. C1+

0::EI: E: ||C1+ H1β:)

10ξ ξ0= · ||C0H= 0T= H1 0::EI:)

1:OE= E: +C+T H1 ::E 1:

E+ Cβ1.)

1: 10ξ ξ0= · ||C0H= C::0 1+EC

::|| =0EO: H1 Eξ::|| +EC ::||

'10 H1E::|| ::||ξ 101 E::H: C1

H1 E0TC: 0::EI 1+EC '1+1)

10ξ ξ0= · ||C0H= 10 1:: = +0+

+0+ +1 ||#|+

1: = +E+ 1: = +CE⊕) = ⊕||.
= 101 011 : 110. : 01 + 10)

3. C11' = =EC H|| E+=0H0=)

111 0101 10= . ||C0H=

+1'11: E=0 E: 00H 11 = ||:

⊕: 0E 111 = 1||+11 1111.)

+0 E: 0: E1: : || ||: C 1101 10= . ||C0H=)
111. 1.)

: || = 1: 0111 101 10= . ||C0H= = 11111
0011+ : 0= . : H1 +01+ 1E: ||
0001 1111.)

101 10= . ||C0H= 1.) 0EE: E+ +0: ⊕
111 111 11+: +0: ⊕) : E = EC E0||=
C0111 0= C1 111) E11: : 00
EE0=: E00 ++1 1: : 0=:
E01E0= ++1)

+ = +01)

1. 111. 0: E=) C0: 100: E) 00HE=)

011+ = 111) 111: 011C0H=) 0+ = H10: E11.)

111: 0 110E= E: +C+1 E0 : 0:)

EE: H1 +H01: E+0H0:) 0H01 C0E.)

E: 0C 110: . ||C0H=) C1)

